## Chapter Reviewt



1. Almira is tiling the walls around a bathtub. Small bathroom tiles are 1 sq in., and 144 tiles are placed on each sheet of mesh. (There's a space between the tiles for the grout to fill.)
a) Estimate the area of one mesh sheet in square feet. about $\qquad$ 1 sq ft
b) How many sheets does Almira need to cover the walls? Area: $2(6.5 \mathrm{ft} \times 3.5 \mathrm{ft})+6.5 \mathrm{ft} \times 6 \mathrm{ft}=84.5 \mathrm{sq} \mathrm{ft}$ She needs about 85 sheets.

## Hint

Use the charts and formulas inside the back cover.
2. Express each area in the units given. If necessary, round your answer to the nearest unit.
a) the field inside an Olympic track, 1 ha: $\qquad$ $\mathrm{m}^{2}$
b) the fenced area around a working oil rig, 11000 sq ft :
$\qquad$ sq yd
c) a finished jigsaw puzzle, 16 in. by 20 in.:
$\qquad$ sq in. or 2065 $\mathrm{cm}^{2}$
d) the square base of the world's tallest building (in 2009), the Burj Khalifa, 3595100 sq ft:
$323559 \mathrm{~m}^{2}$ or 32 ha

5. On paper, draw a polygon that has an irregular shape. Explain how you can determine its area. (Don't do the calculations.)

1. Divide it into triangles.
2. Measure the base and height of each triangle and calculate Area of triangle $=\frac{1}{2}$ (base $\times$ height).
3. Add all the areas.
4. a) Rayza is building a deck. What is the area of the deck? Area of trapezoid: $\frac{1}{2}(4 \mathrm{~m}+7 \mathrm{~m}) \times 6 \mathrm{~m}=33 \mathrm{~m}^{2}$ Area of rectangle: $36 \mathrm{~m}^{2}$

Total area is $69 \mathrm{~m}^{2}$.
b) Rayza wants to put one coat of stain on the deck. A can of stain covers about $15 \mathrm{~m}^{2}$ and costs $\$ 27.99$. About how much will she pay for the cans of stain?
$69 \mathrm{~m}^{2} \div 15 \mathrm{~m}^{2} / \mathrm{can}=4.6 \mathrm{cans}$
5 cans $\times \$ 28=\$ 140$
She will pay about $\$ 140$.

7. What is the surface area, to one decimal place?
a) an ice cream cone, top open

Surface area of open cone:
$\pi(4.7 \mathrm{~cm})(16.6 \mathrm{~cm}) \doteq 245.1 \mathrm{~cm}^{2}$
b) a gas storage tank, top closed

Circumference: $\pi(12 \mathrm{yd})=37.699 \ldots \mathrm{yd}$
Surface area: $2 \times \pi(6 y d)^{2}+(7.5 y d \times 37.699 \ldots y d)$

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\doteq 508.9 \mathrm{sq} \mathrm{yd}
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8. The shaded area on the map shows the oil sands in Alberta. (1 square represents 2500 sq mi.)
Estimate the area of the oil sands.
e.9., about $\qquad$ 50000 sq mi
about $\qquad$ $\mathrm{km}^{2}$

